

15.1a) Given the energy profile, I predict that  $k_f > k_r$  because the activation energy for the forward reaction is lower than the activation energy for the reverse reaction.

b) Based on this prediction, I predict the  $K_c$  value (which is the ratio of products to reactants) will be greater than 1.

15.2 Beginning the in the 4th box from the left, this reaction has reached equilibrium. This is evident in the constant amounts of both reactant and product, indicating that the forward and reverse processes must be occurring at equal rates.

15.3 In the mixture, there are 8 “moles” of product AX, 3 “moles” of reactant A and 2 moles of reactant B. As such the  $K_c$  expression will be:  $[8]/([2][3])$  or 1.3, making  $K$  greater than 1.

15.4 a)  $A_2 + B \rightleftharpoons A_2B$  ( $5A_2 + 5B \rightleftharpoons 4A_2B + A_2 + B$ )

b,c) 
$$K_c = \frac{[A_2B]}{[A_2][B]} \quad K_c = \frac{[.4]}{[.1][.1]} = 4$$

d)  $\Delta n = \text{moles}_{\text{final}} - \text{moles}_{\text{initial}} = .6 - 1.0 = -.4$

15.5 This friend is wrong. The equilibrium constant ( $K_c$ ) only speaks of the make-up of the equilibrium mixture. It doesn't say anything about how quickly the reaction reaches equilibrium.

15.6 Equilibrium a has the fewest reactants particles and the most product particles, giving it the highest  $K_c$ . Equilibrium c has the most reactant particles and the fewest product particles, giving it the lowest  $K_c$ . Equilibrium b is then in the middle.

15.9 a&b)  $K_c = 1.5$

For mixture i:  $Q = \frac{[AB]^2}{[A_2][B_2]} = \frac{[6]^2}{[1][1]} = 36$

Since  $Q > K_c$ , this reaction will proceed toward reactants

For Mixture ii:  $Q = \frac{[AB]^2}{[A_2][B_2]} = \frac{[3]^2}{[3][2]} = 1.5$

Since  $Q = K_c$ , this reaction is at equilibrium

For Mixture iii:  $Q = \frac{[AB]^2}{[A_2][B_2]} = \frac{[2]^2}{[3][3]} = 0.44$

Since  $Q < K_c$ , this reaction will proceed toward products

$$15.10 \text{ a) } K_c = \frac{[AB]^2}{[A_2][B]^2} = \frac{[2]^2}{[1][1]} = 4$$

b) A decrease in volume favors the side of the reaction with fewer moles of gas. As such, the decrease in volume favors the products. Note, however, that this decrease in volume doesn't change the value of  $K_c$ . Instead, the concentration of AB must increase to maintain  $K_c$ .

$$15.13 \text{ a) } K_c = \frac{K_f}{K_r} = \frac{4.7 \times 10^{-3} \text{ s}^{-1}}{5.8 \times 10^{-1} \text{ s}^{-1}} = 8.1 \times 10^{-3}$$

b) Since  $K_c$  is less than 1, the reaction favors reactants. As such, the partial pressure of A will be greater.

15.16 a) homogeneous

$$K_c = \frac{[O_2]^3}{[O_3]^2}$$

b) heterogeneous

$$K_c = \frac{1}{[Cl_2]^2}$$

e) heterogeneous

$$K_c = \frac{[Cl_2]^2}{[O_2][HCl]^4}$$

g) heterogeneous

$$K_c = \frac{[CO_2]^{16}}{[O_2]^{25}}$$

$$15.21 \quad K_p = K_c(RT)^{\Delta n} = 0.042(0.08206 \cdot 500\text{K})^{-1} = 1.0 \times 10^{-3}$$

15.23a) Given that the  $K_c$  value is smaller than 1, the reaction favors the reactants NO and Br<sub>2</sub>.

b) The  $K_c$  for the reverse reaction will be the inverse of the forward reaction, or  $1/1.3 \times 10^{-2}$ , which equals 77.

c) Because the coefficients in the balanced equation become exponents in the  $K_c$  expression, dividing all the coefficients in a balanced equation by 2 will cause the  $K_c$  for the new equation to be raised to the  $\frac{1}{2}$  power, which is the square root. As such, the  $K_c$  will be  $77^{\frac{1}{2}}$  or 8.8.

15.25 a) Never mind

b) Doubling the coefficients in the balanced equation will cause the  $K_c$  value to increase by a power of 2. As such, the  $K_p$  for this reaction will be  $1.85^2$  or 3.42.

c)  $K_p = K_c(RT)^{\Delta n}$

$$3.42 = K_c(0.08206 \cdot 1000K)^{-1}$$

$$K_c = 281$$

15.29 We exclude pure solids and liquids from equilibrium constant expressions because their concentrations or partial pressures are understood to be unchanging (or zero).